

# Physics 2204

Uniform Motion Review

# Kinematics

A branch of physics dealing with the physical description of motion (eg. speed, velocity, distance, displacement, acceleration).

The word comes from the Greek “kinema” which means motion.

**Uniform Motion: Straight line movement at a constant speed.**

# Terms

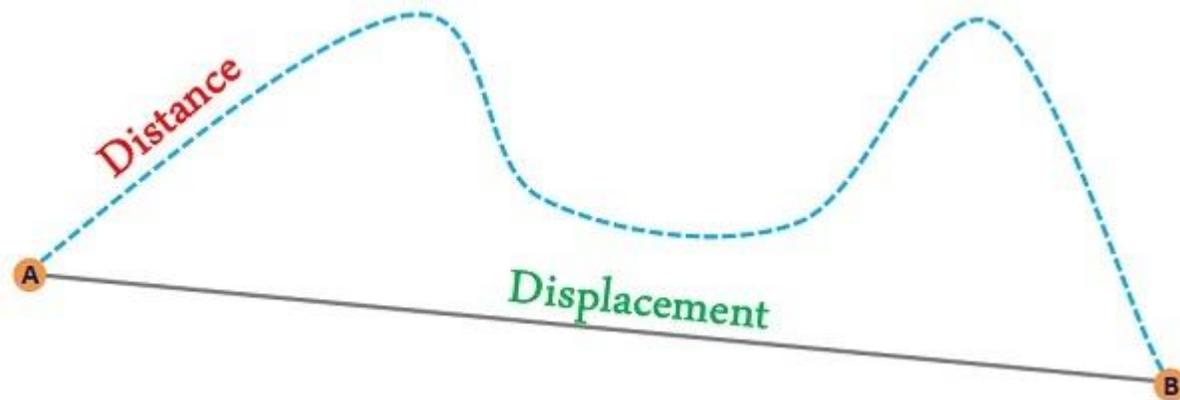
**Scalar Quantities:** have magnitude (value) and units. (eg. time, mass)

**Vector Quantities:** have magnitude (value), units and direction. (eg. displacement, velocity and acceleration)

# Distance & Displacement

**Distance:** a measure of the total amount travelled regardless of direction.

**Displacement:** a change in position measured from start to finish.



# Average Speed

$$\text{average speed} = \frac{\text{total distance}}{\text{total time}}$$

$$v = \frac{d}{t}$$

# Average Velocity

$$\text{average velocity} = \frac{\text{displacement}}{\text{total time}}$$

$$\vec{v} = \frac{\vec{d}}{t}$$

Note that the direction of the velocity is the same as the direction of the displacement.

# Example

1. If a car travels 140.0 km in 1.5 h, what is its average speed?

# Example

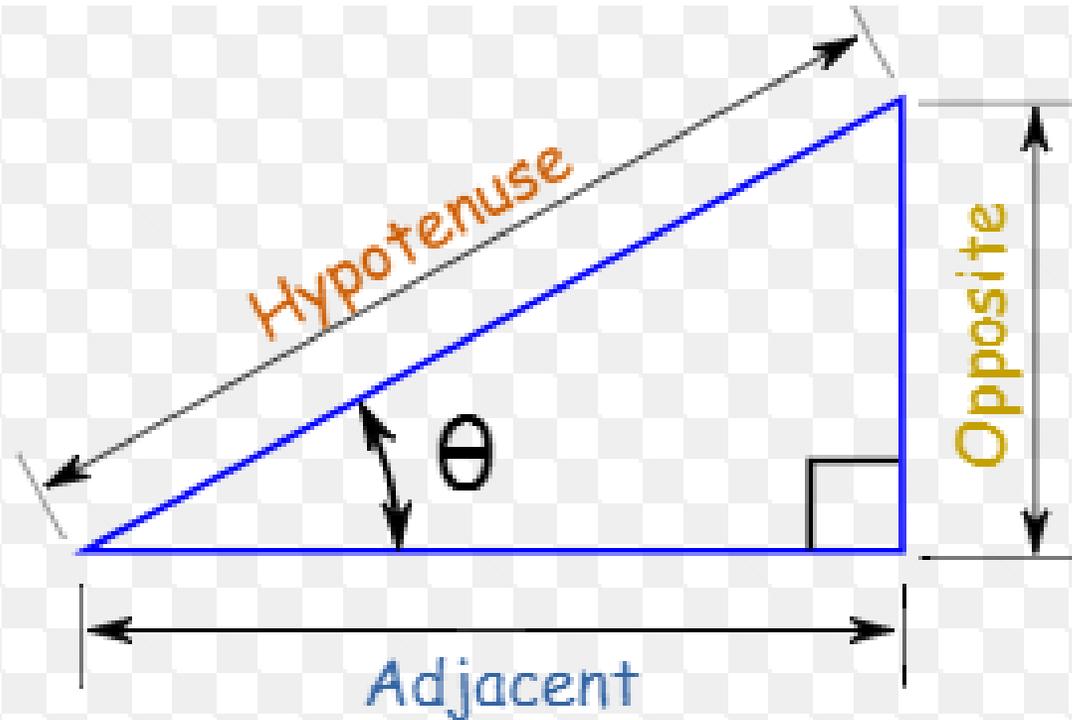
1. John swims 400.0 m (E) and then 150.0 m (W). If the trip took 2.5 min, find:
  - a) the average speed.
  - b) the average velocity.

# Trigonometry Review

$$\sin \theta = \frac{\text{Opposite}}{\text{Hypotenuse}}$$

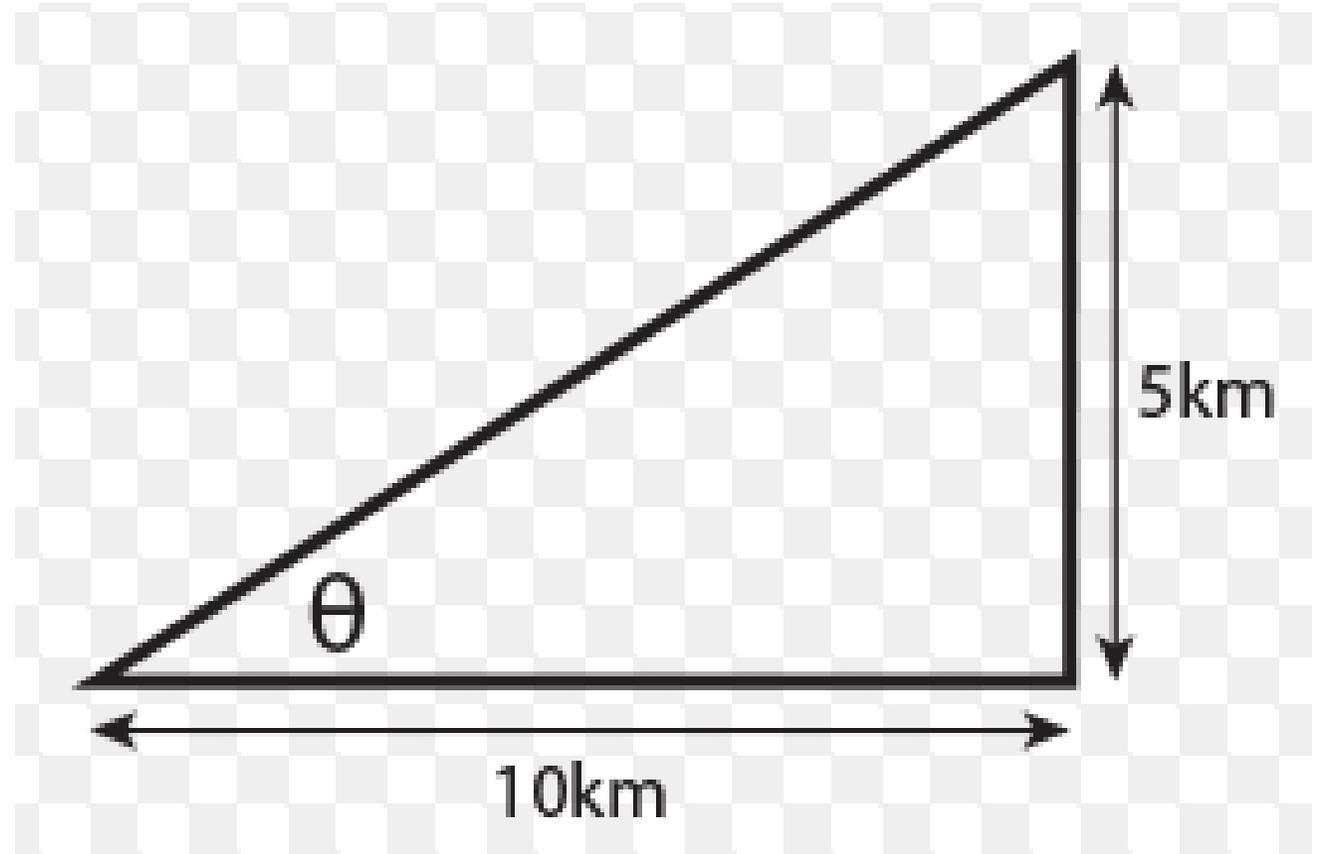
$$\cos \theta = \frac{\text{Adjacent}}{\text{Hypotenuse}}$$

$$\tan \theta = \frac{\text{Opposite}}{\text{Adjacent}}$$

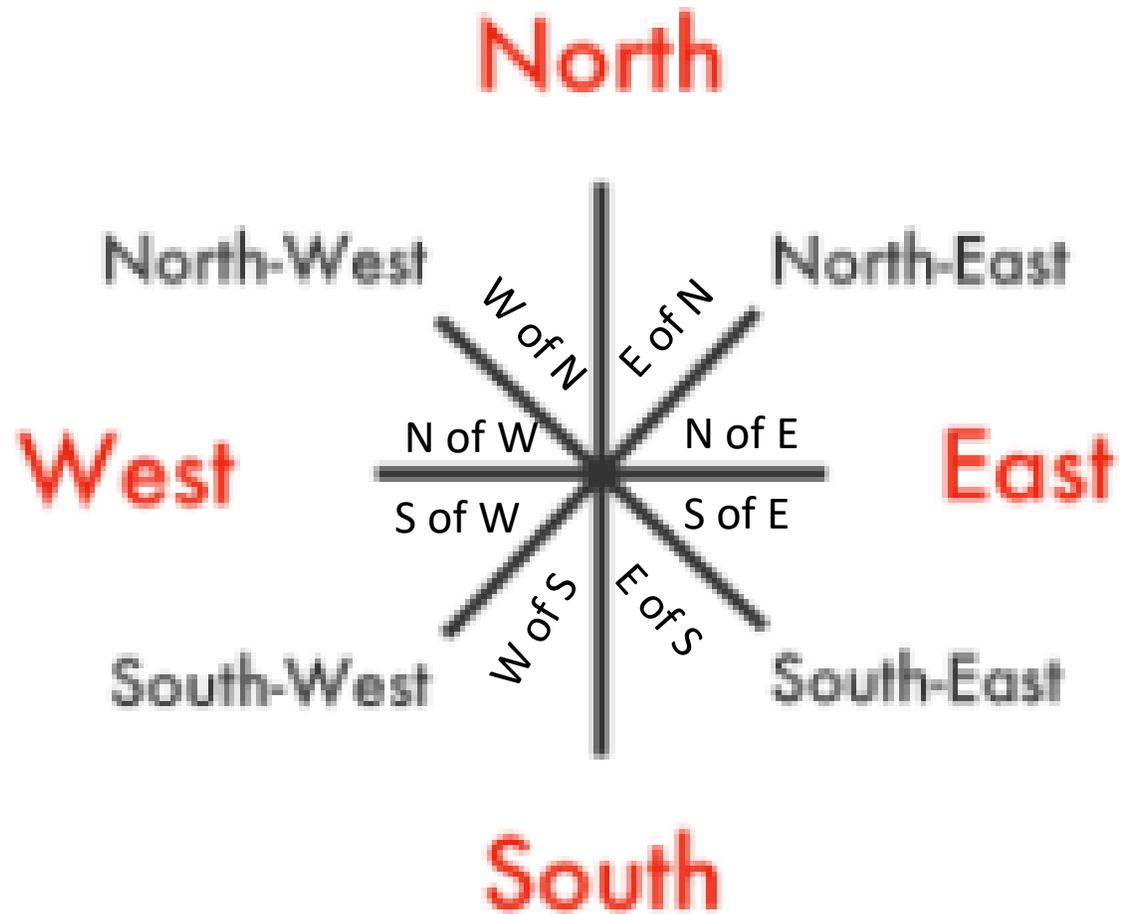


# Trigonometry Review

What is  $\theta$ ?



# Compass Direction



# Example

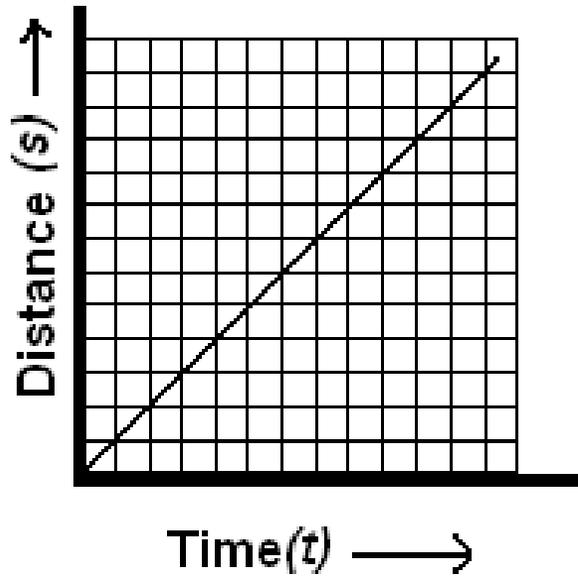
1. John swims 400.0 m (E) and then 150.0 m (N). If the trip took 2.5 min, find:
  - a) the average speed.
  - b) the average velocity.



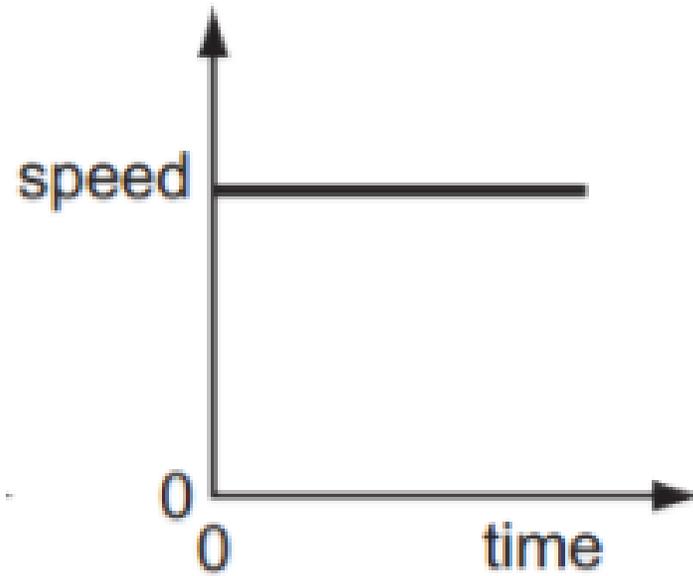
## Example

Car A is moving at 55 km/h (E) towards car B moving at 68 km/h (W). If the distance between the cars is 3.4 km, calculate how long it will take for them to meet.

# Graphing



Slope = speed



Area = distance

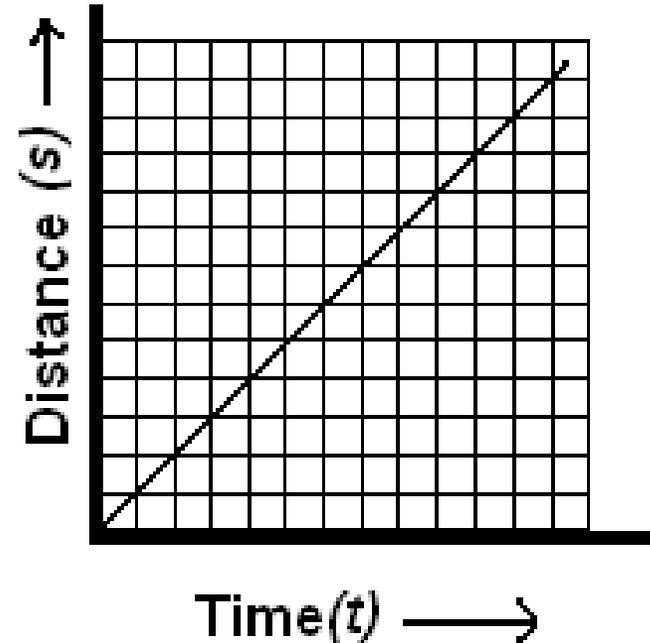
# Displacement-Time Graph

0 is the reference point  
– where we measure  
the motion from.

Positive slope indicates  
movement to the right.

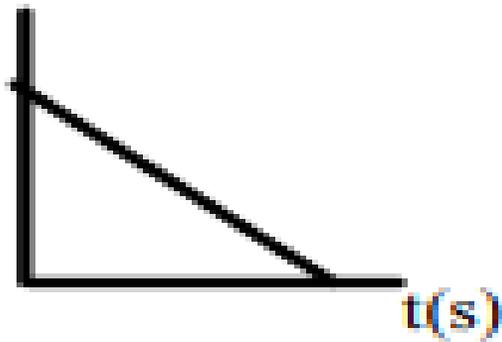
Negative slope is  
movement to the left.

Zero slope indicates the  
object is at rest.



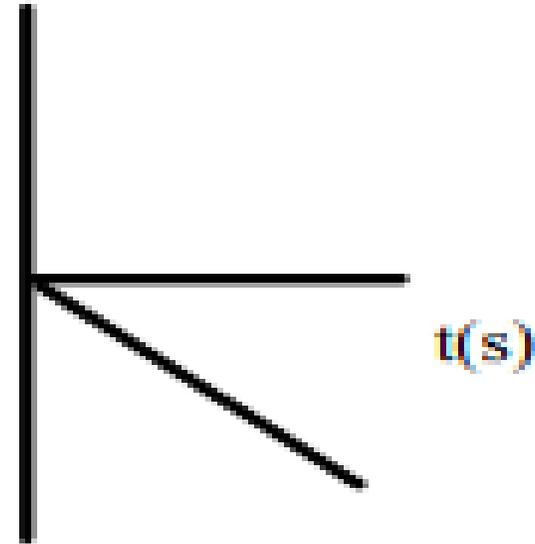
# Displacement-Time Graphs

d (m)  
right



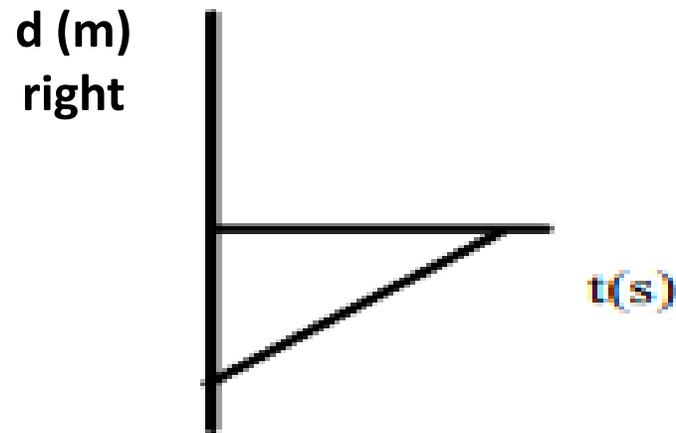
Object starts to the right of the reference point.  
Moves left at constant speed.  
Ends up at reference point.

d (m)  
right

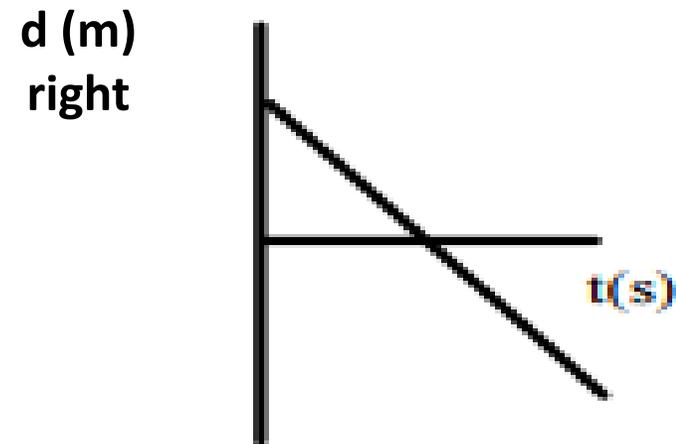


Object starts at the reference point.  
Moves left at constant speed.

# Displacement-Time Graph



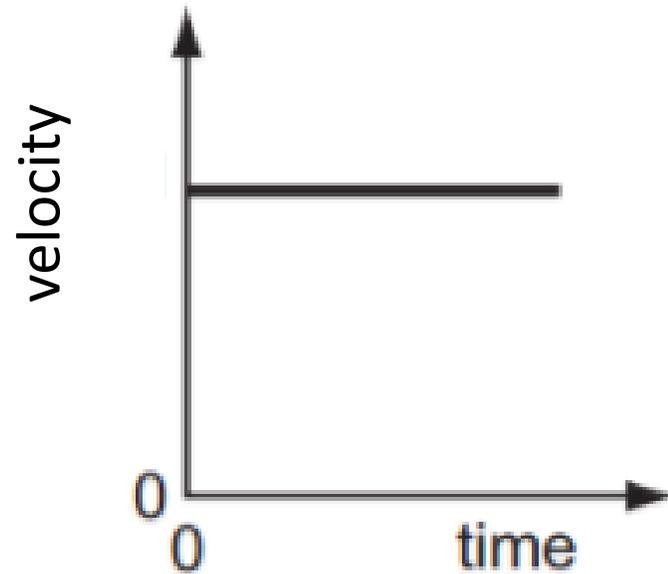
Object starts to the left of the reference point.  
Moves right at constant speed.  
Ends up at reference point.



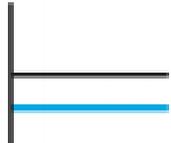
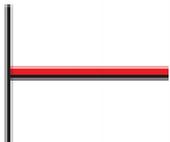
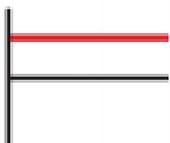
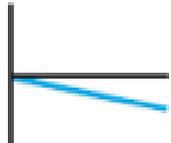
Object starts to the right of the reference point.  
Moves left at constant speed.  
Keeps moving past reference point.

# Velocity-Time Graph

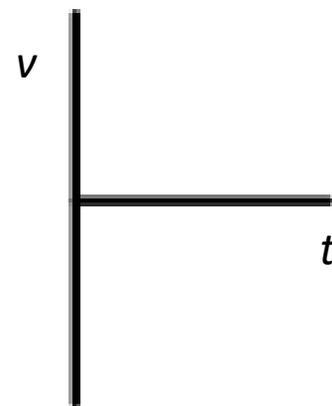
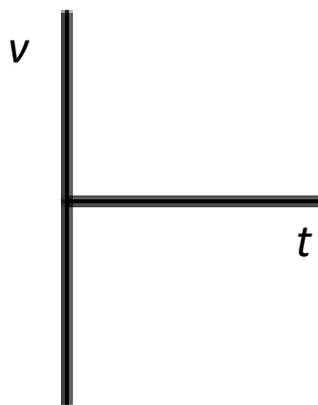
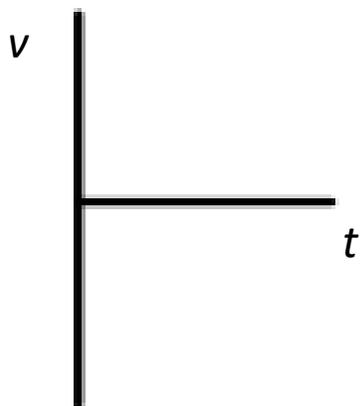
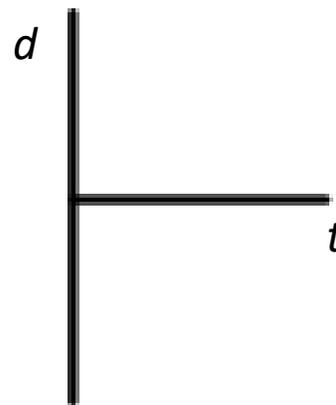
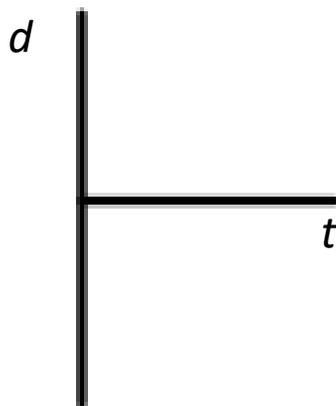
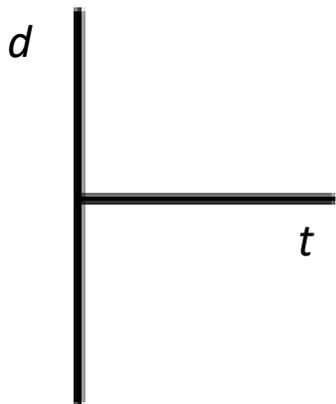
- 0 means the object is not moving.
- Graph drawn above 0 indicates movement to the right.
- Graph drawn below 0 indicates movement to the left.



# Graph Matching

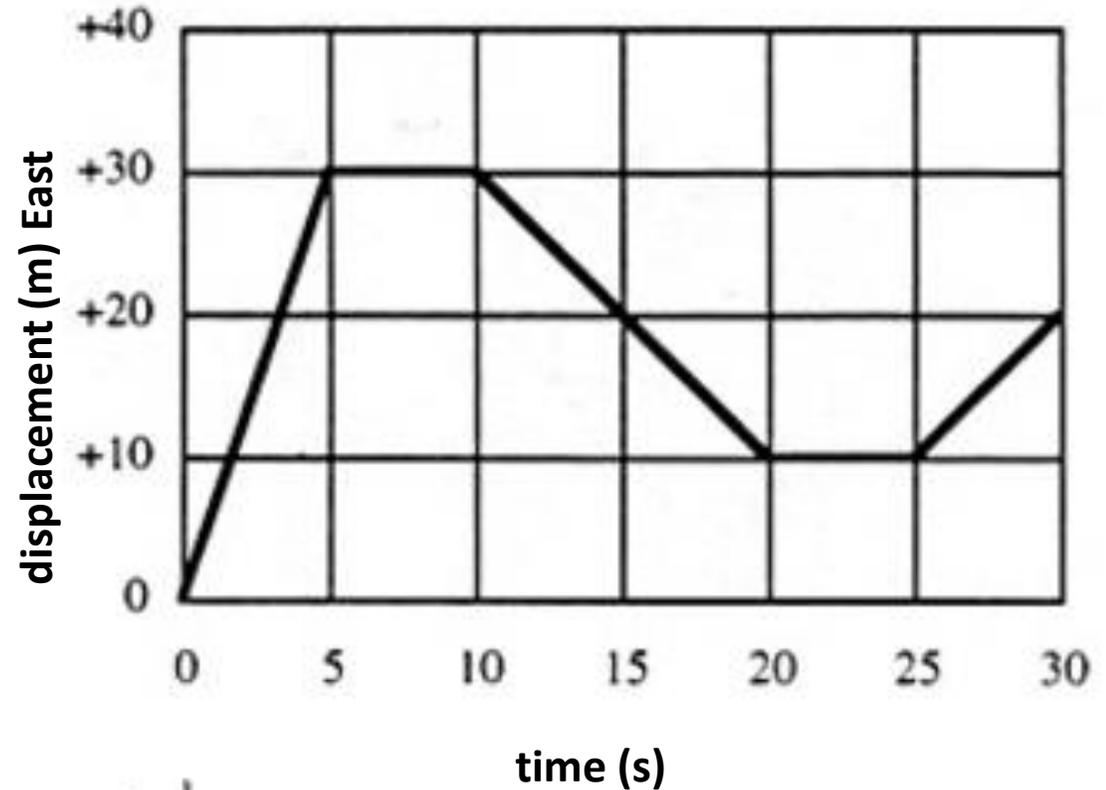
	$\vec{d}-t$ graphs	$\vec{v}-t$ graphs	Example
Stopped			
			
Constant velocity			
			

# Walk the Graph



# Graphing Numerical

- a) What is the speed of the object at 3 s?
- b) What is the object doing at 6 s?
- c) What is the velocity of the object at 15 s?
- d) What is the total distance moved?



# Graphing Numerical

- a) What is the object's velocity at 2 s?
- b) What distance has the object travelled from 0 to 5 s?
- c) What is the object's displacement at 12.5 s?
- d) What is the object's distance at 12.5 s?

